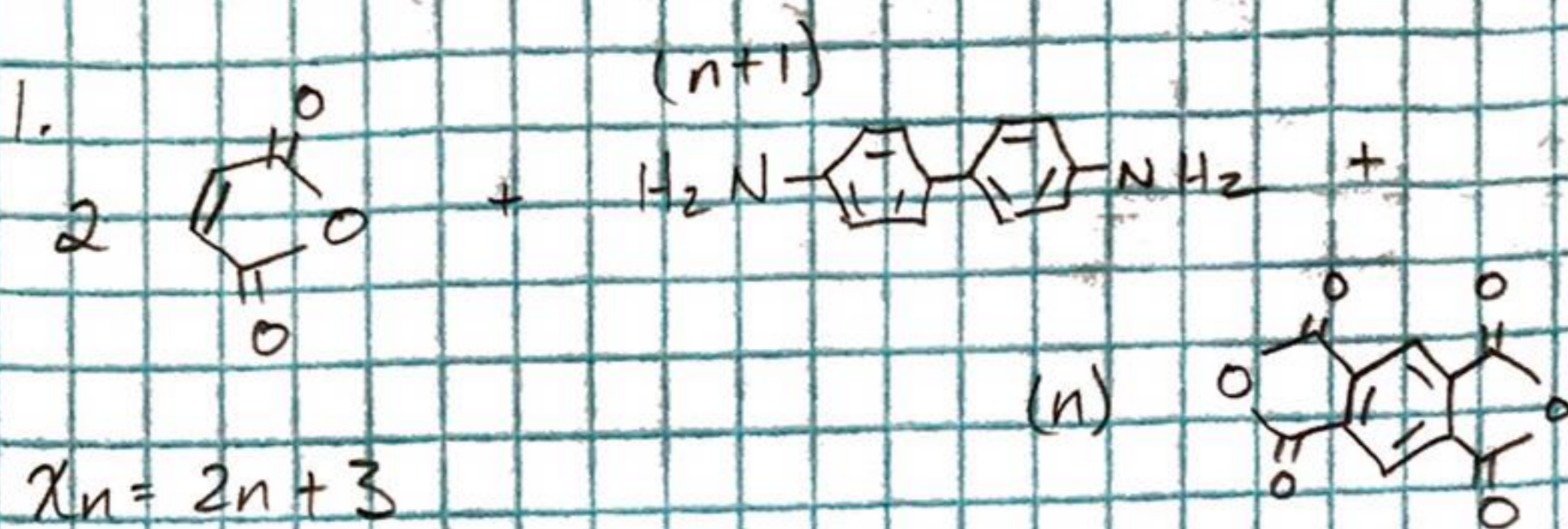


Zac Ahmad
947102

Exam 3



$$2000 = 366.33 n + 344.526$$

$$4.51962 = n$$

This value won't convert to a fraction in my calculator, I didn't forget :)

2 mols maleic anhydride
 $n = 4.51962$ mols pyromellitic anhydride
 $n+1 = 5.51962$ mols benzidine

$$\frac{1000 \text{ g}}{2000 \text{ g/mol}} = \frac{1}{2} \text{ mol oligomer}$$

$$\begin{aligned} 2 \text{ mols} \times \frac{1}{2} \text{ mols} &= 1 \text{ mol maleic anhydride} \\ 4.51962 \times \frac{1}{2} \text{ mol} &= 2.2598 \text{ mols pyromellitic anhydride} \\ 5.51962 \times \frac{1}{2} &= 2.7598 \text{ mols benzidine} \end{aligned}$$

2. Structural features - small rings & small atoms (row 1 or 2 on periodic table). Cyclic compounds that display ceiling temperatures are characterized by small rings that exhibit bond-angle strain. For these small rings, there is added constraint that originates from the angles between atoms being less than the optimal 109.5° . These compounds are therefore enthalpy driven since their polymerizations would require a high level of energy release upon opening of small rings.

$$3. \quad T_c = 400 \text{ K} - [M] = 10 \text{ mol/L}$$

$$T_c = 306 \text{ K} - [M] = 1 \text{ mol/L}$$

$$\ln \frac{[M]_c}{[M]^0} = \frac{\Delta H^\circ}{RT_c} - \frac{\Delta S^\circ}{R}$$

$$RT_c (\ln [M]) = \left(\frac{\Delta H}{RT_c} - \frac{\Delta S}{R} \right) (RT_c)$$

$$RT_c (\ln [M]) = \Delta H - \Delta S(T_c) + \Delta S(T_c)$$

$$RT_c (\ln [M]) + \Delta S(T_c) = \Delta H$$

$$RT_c (\ln [M]) + \Delta S(T_c) = RT_c (\ln [M]) + \Delta S(T_c)$$

$$(8.314)(306) (\ln(1)) + \Delta S(306) = (8.314)(400) (\ln(10)) + \Delta S(400)$$

$$0 + \Delta S(306) = 7657.477 + \Delta S(400)$$

my calculator won't convert ↗

$$\frac{-94 \Delta S}{-94} = \frac{7657.477}{-94} \rightarrow \Delta S = -81.4625$$

$$\ln [1] = \frac{\Delta H}{(8.314)(306)} - \frac{(-81.4625)}{(8.314)} \quad \ln [1] = \frac{(-24927.525)}{(8.314)(306)} - \frac{\Delta S}{(8.314)}$$

$$\ln [1] = \frac{\Delta H}{2544.084} + 9.7982319 \quad \ln [1] = (-7.495647) - \frac{\Delta S}{8.314}$$

$$-9.7982319 (2544.084) = \Delta H \quad -7.495647 = -\frac{\Delta S}{8.314}$$

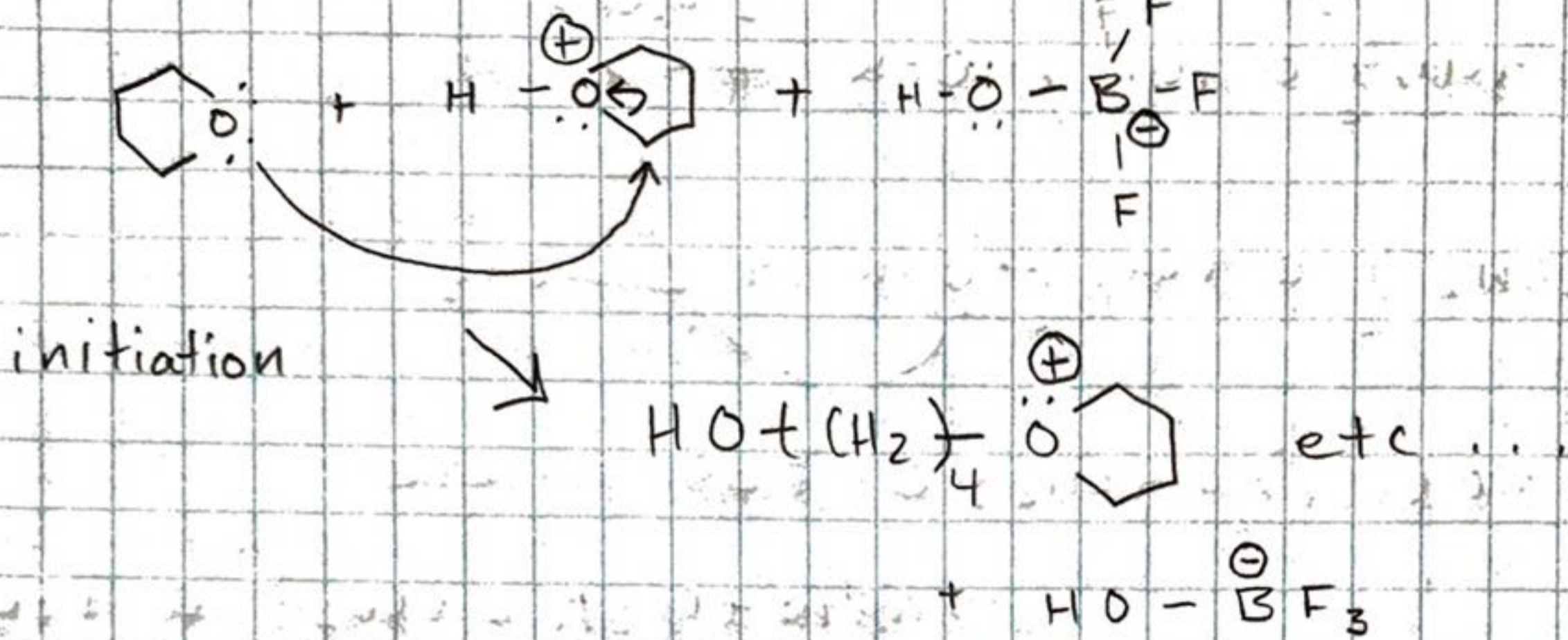
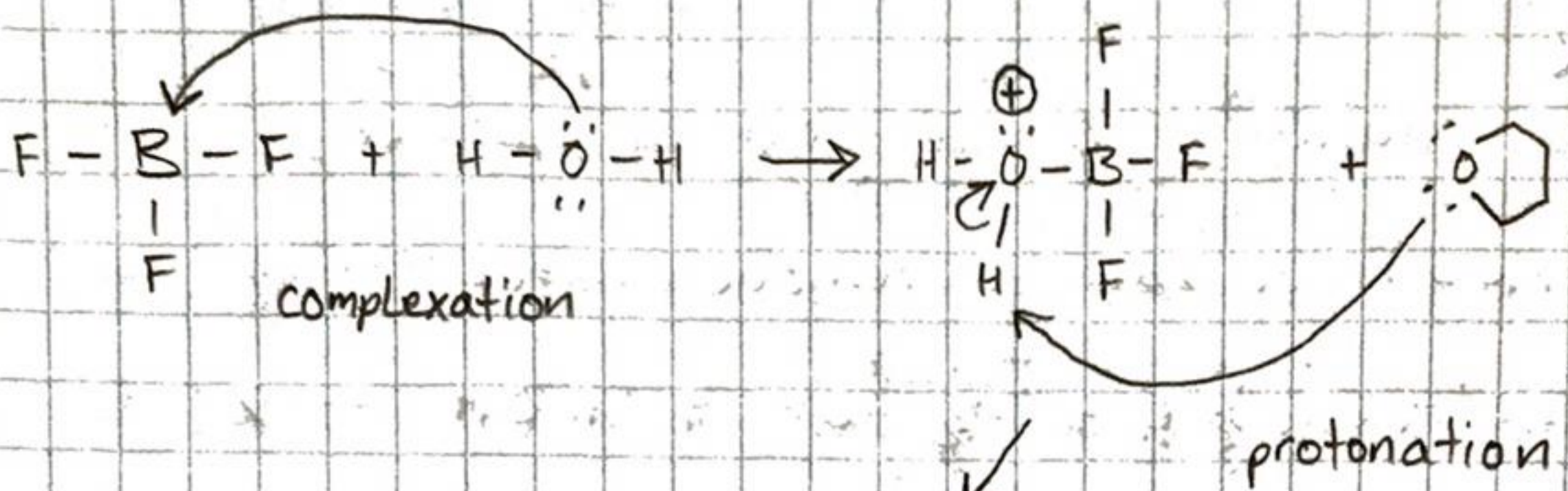
$$-24927.525 = \Delta H \quad -62.3188 = \Delta S$$

$$\Delta H^\circ = -24,927.525 \text{ J/mol}$$

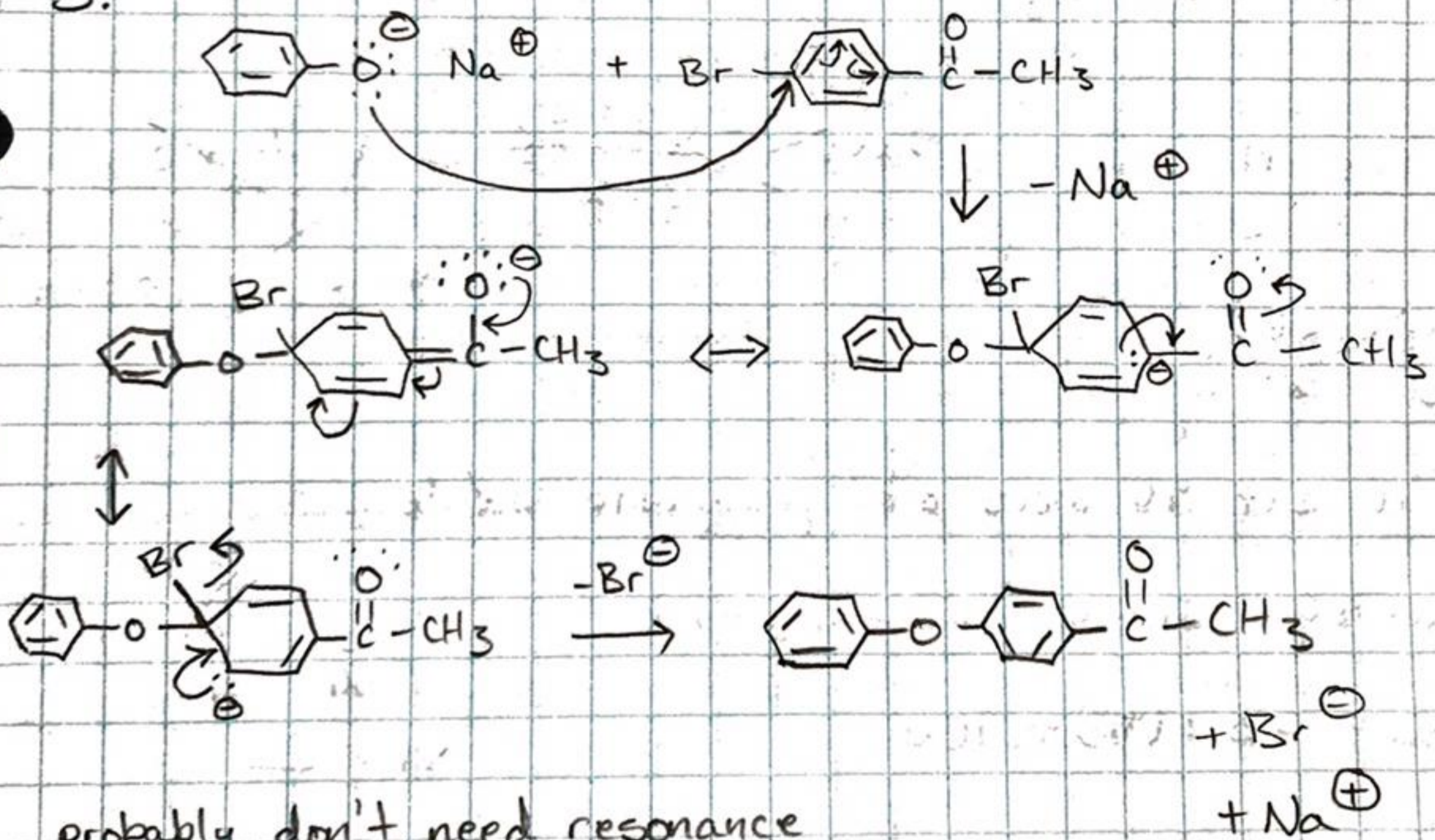
$$\Delta S_{\text{pure}}^\circ = -81.4625 \text{ J/mol-K}$$

$$\Delta S_1^\circ = -62.3188 \text{ J/mol-K}$$

4.

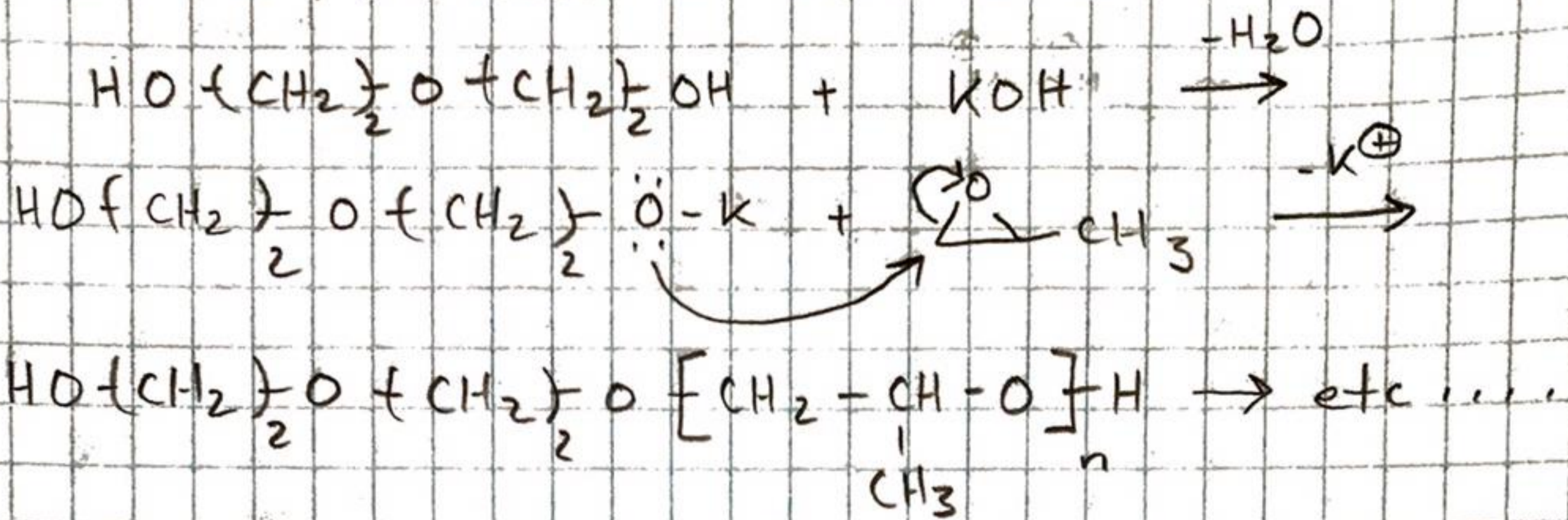


5.



probably don't need resonance structures, but I like showing them.

6. First, we have to remove water



n is propylene oxide so I'll say we have 1 mol diethylene glycol

$$1 \text{ mol DEG (106 g/mol)} + n \text{ mols PO (58.1 g/mol)} = 1000 \text{ g}$$

$$106 + 58.1n = 1000$$

$$\frac{58.1n}{58.1} = \frac{894}{58.1}$$

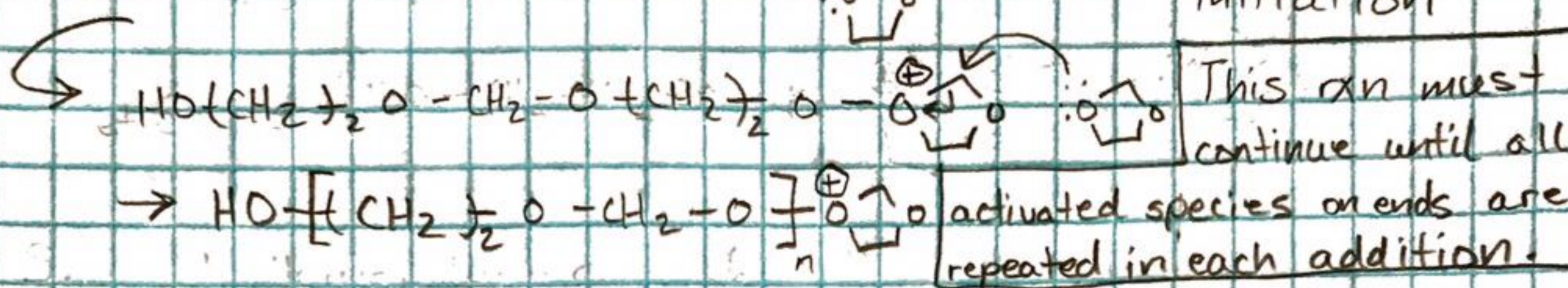
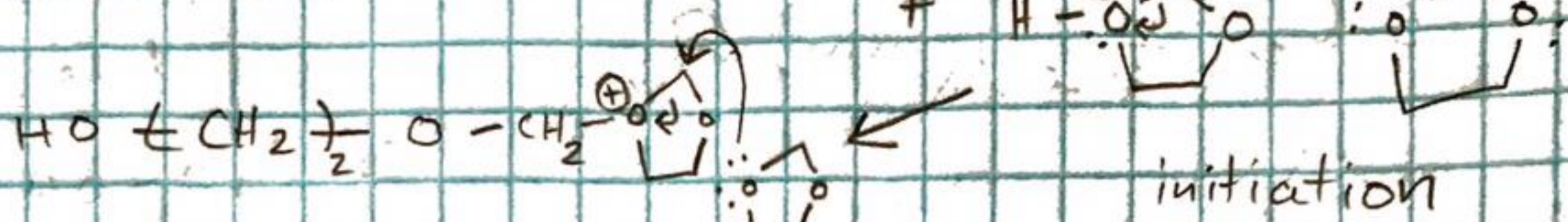
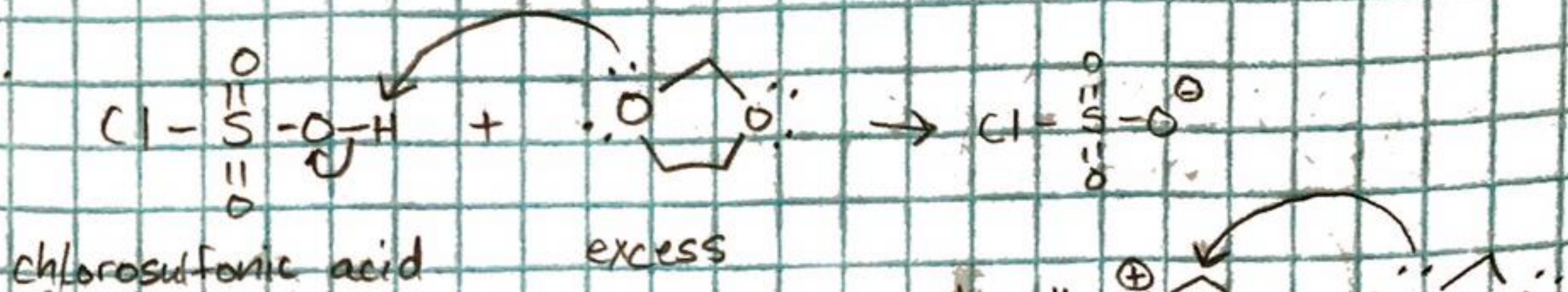
$$n = \frac{8940}{581} \text{ mols PO} \leftarrow \text{AHA! This fraction stayed}$$

$$1 \text{ mol DEG} = 106 \text{ g DEG}$$

$$\frac{8940}{581} \text{ mols PO} \times 58.1 \text{ g/mol} = 894 \text{ g PO}$$

catalytic amount of KOH

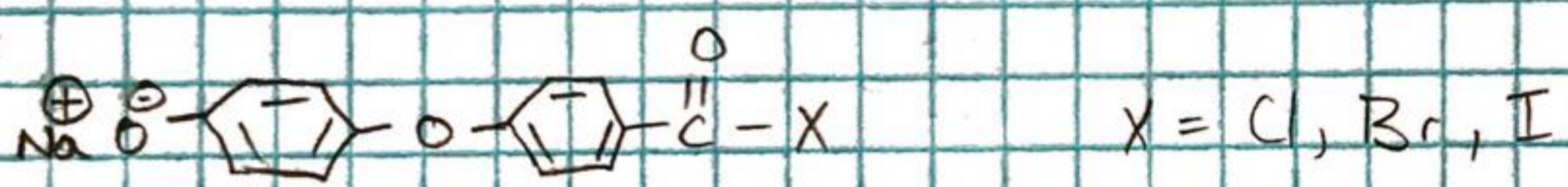
7.



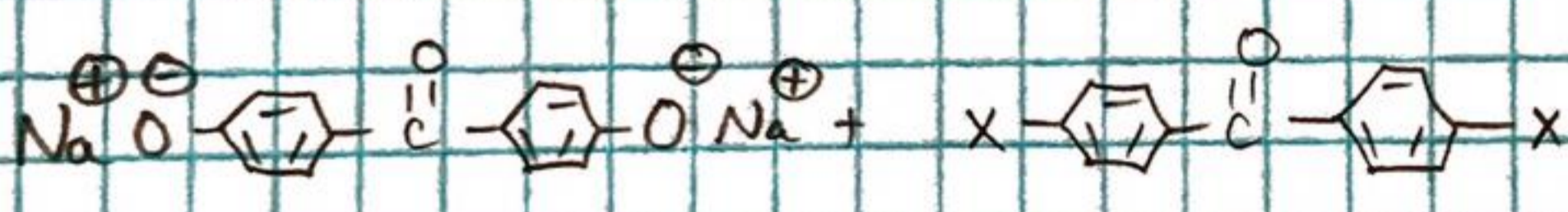
8.

- | | |
|---------------|----------------|
| 1 Homopolymer | 6 Homopolymer |
| 2 Homopolymer | 7 Copolymer |
| 3 Homopolymer | 8 Copolymer |
| 4 Copolymer | 9 Copolymer |
| 5 Homopolymer | 10 Homopolymer |

9.



and



Poly ether ketone or 'PEK'